

Turbulent drag reduction over an oscillating wall

by

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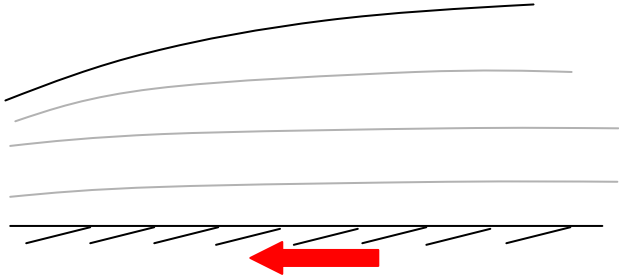
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and

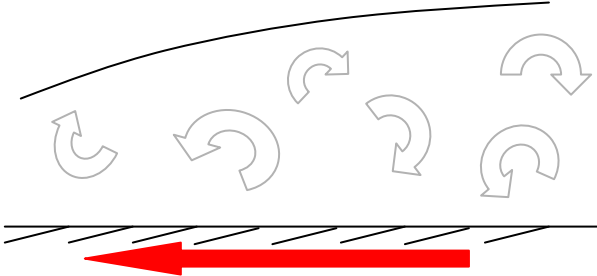
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Problem:



Laminar boundary layer

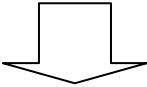


Turbulent boundary layer

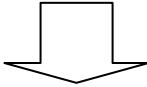
τ_{lam}

\ll

τ_{turb}



Techniques to **reduce turbulence**



Reduce wall friction drag

Drag reduction techniques

- Passive:**
- Geometrical modifications
 - Injection of solutions into the flow

-Riblets - (Low Re)	5-10 %
-LEBU -	5 %
-Polymers - (High Re)	80 %



- Active:**
- Energy is introduced into the system

-Local instantaneous suction-blowing	20 - 25%
Choi, Moin, Kim JFM 1994 vol. 262.	

-Oscillating wall

anwise wall velocity:

$$W = W_m \sin\left(\frac{2\pi t}{T}\right)$$

Purpose of present research is to

quantify the effects of wall oscillation on turbulent structure

determine dependence of amount of drag reduction on T and m

get energy savings

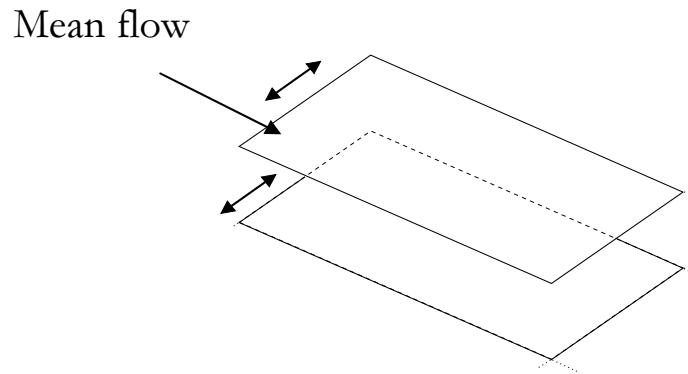
scaling parameter



direct numerical simulation

D code and computing system

- Incompressible fully developed equations in cartesian coordinates
- Plane pressure-driven turbulent channel flow
- Vertical velocity and vertical vorticity formulation pressure is absent
- Fourier transforms in homogeneous x and z directions
- fourth-order *compact* finite difference schemes in y
- High accuracy $\pm 1\%$ of wall friction.



Low-cost parallel computing
Low communication time

Physical problem and discretization

- all boundary condition on z -component

$$W = W_m \sin\left(\frac{2\pi t}{T}\right)$$

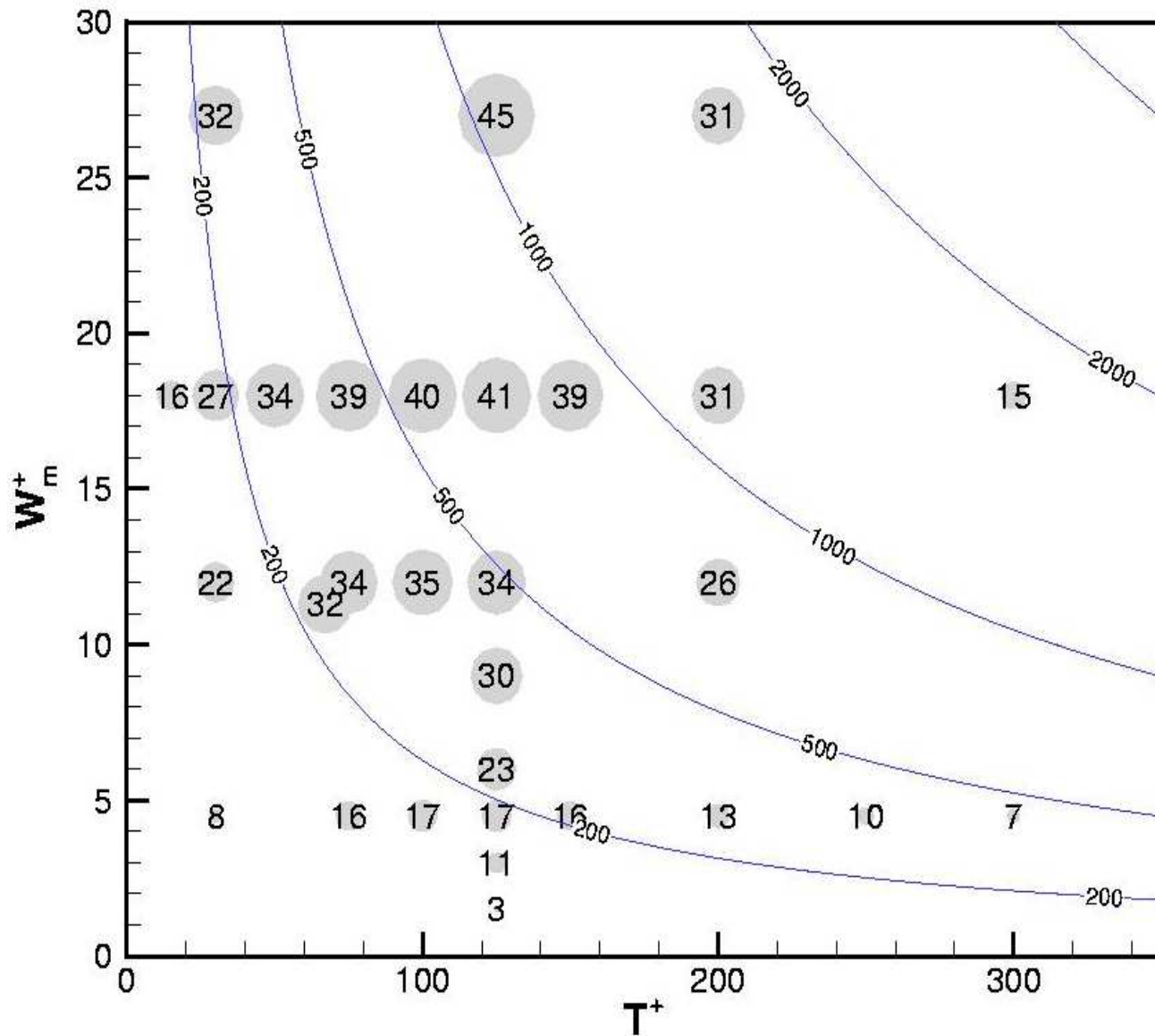
- Reynolds number of the flow $Re_\tau = 200$

- x -discretization	Fourier modes	Δx^+	1	1
- z -discretization	Fourier modes	Δz^+	5	
- y -discretization	collocation points	Δy^+	0.8	5

- $L_x = 21$ h
- $L_z = 2$ h

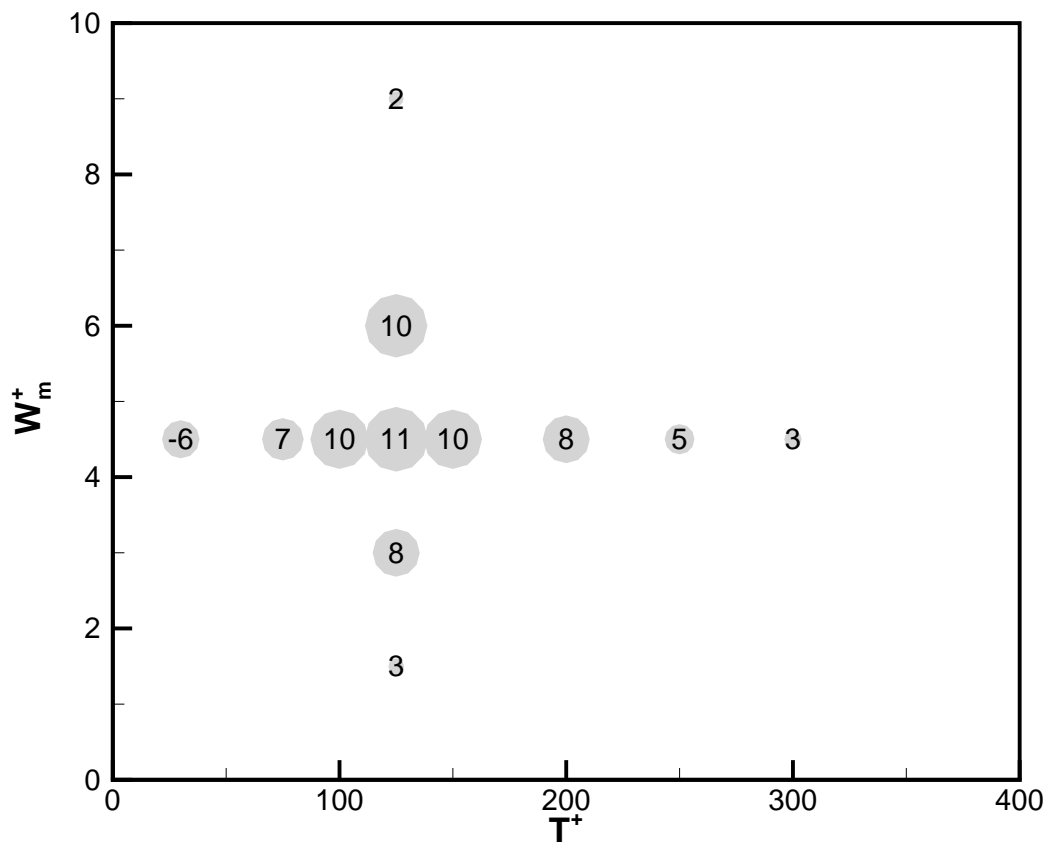
- Total integration time for run $t^+ = 800$
- Time discretization $\Delta t^+ = 0.1$

absolute drag reduction



minimum R :
 PTI T :
 scaling with
har contrast
 with experiments
Good agreement
 with numerical works

et energy savings



- crucial **ET** energy saving considering P_{ERT} E_{THE} LL
- Balance between P_{net} and P_{gross} never studied in detail before

- **ET** energy saving is possible result of RE_{T} importance
a minimum gain $T^+ > 5$ and $T^+ > 125$
- gain is possible for T^+ and for W_m^+
- **A R A I T E E E R E**

scaling parameter

- importance to determine a scaling parameter $f_m T$
- most of the experimentalists **ERR** **E U L** thin is the key
- we have shown R depends on both δ and T

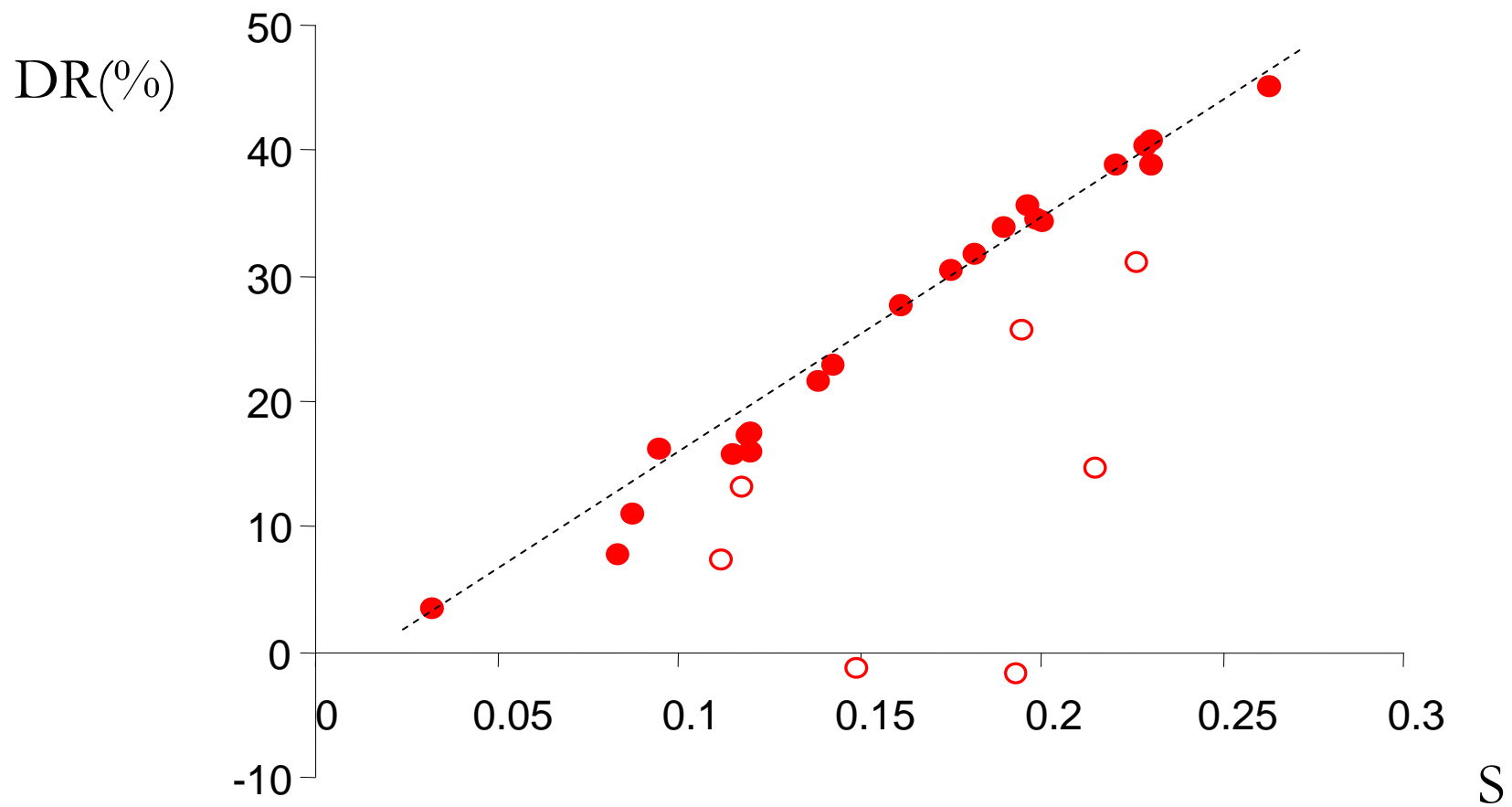
DR y_{CR} **STOKES**

y_{CR} is a critical height where turbulent structures are affected

A is acceleration of the layer

$$S_{DR} = \ln(W_m^+) \sqrt{\frac{2\pi}{T^+}} e^{-y_{CR}^+} \sqrt{\frac{\pi}{T^+}}$$

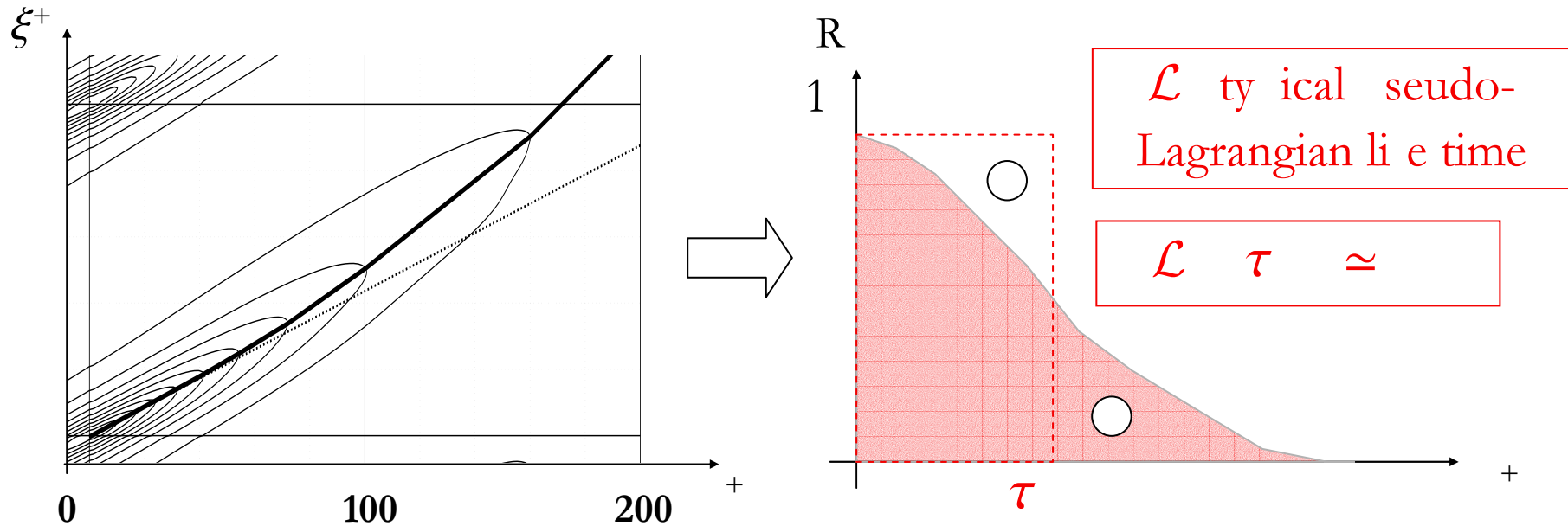
scaling parameter



- Excellent agreement or T^+ 150 correlation coefficient ≈ 1

- bad agreement or T^+ 150

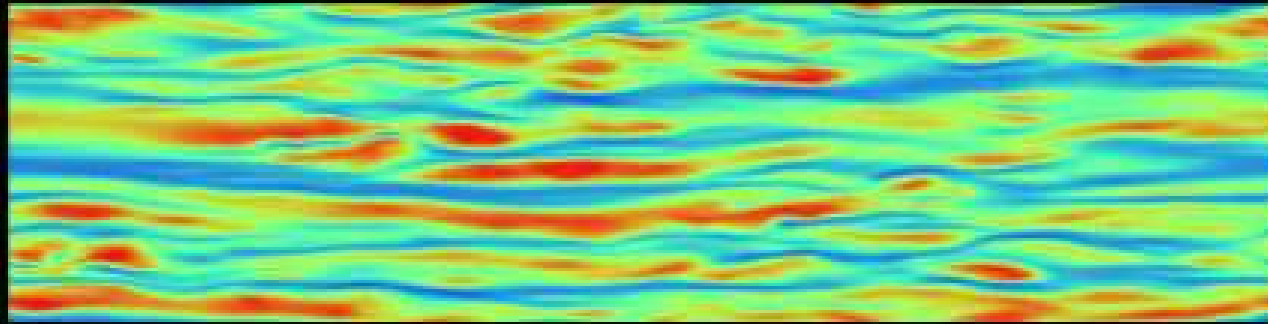
Why is the correlation dropping or +



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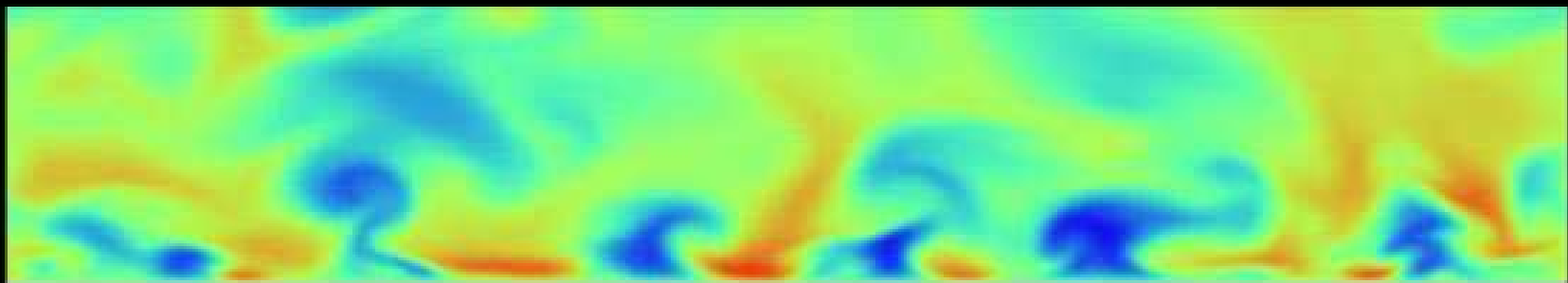
- T** \mathcal{L} Turbulence structures have enough time to develop their dynamics and re-establish natural turbulence cycle hence natural drag
 - T** \mathcal{L} interaction is not strong enough correlation is high but R is low
 - T** $\approx \mathcal{L}$ **Perfect matching high correlation and high R**
- O O +_m**

$t=0$



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$t=0$



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$$L=0$$



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conclusions

- Precise determination of drag reduction dependence on oscillation parameters τ^+ and T^+
- **ET** energy saving is P_{BLE}
- scaling parameter has been found
- numerical visualizations of turbulent field from start-up of oscillation

future work

- annular geometry
- Reynolds number effect on drag reduction properties
- optimization of oscillating motion